

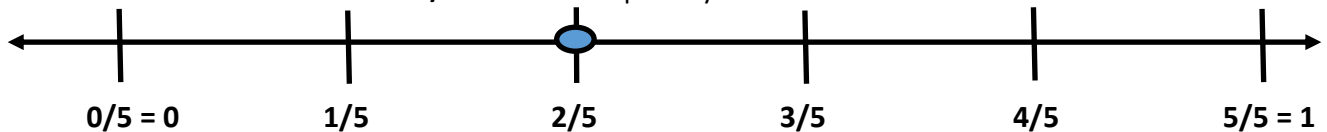
# Homework Help

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## Grades 3-5: Using Number Lines to Add and Subtract Fractions

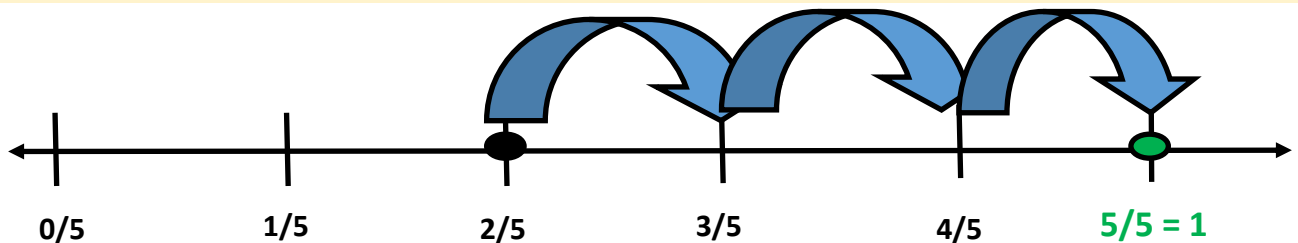
A **number line** is similar to a ruler or measuring stick. It **can be divided into pieces**, for example, to represent **fractions**. Below is an example of a **number line that represents the fraction  $2/5$** .

- The **first number we see on the line is 0**. Since we are going to try to show  $2/5$ , a useful way to think about 0 is as  $0/5$ . If we have zero, we have no fifths.
- The other **vertical lines that intersect the number line represent fractions** ( $1/5$ ,  $2/5$ ,  $3/5$ , and so on), and the end of the line is 1, or one whole. Another way to think of **one whole** is as  $5/5$ .
- We draw a dot on the number line at  $2/5$  to show this quantity.



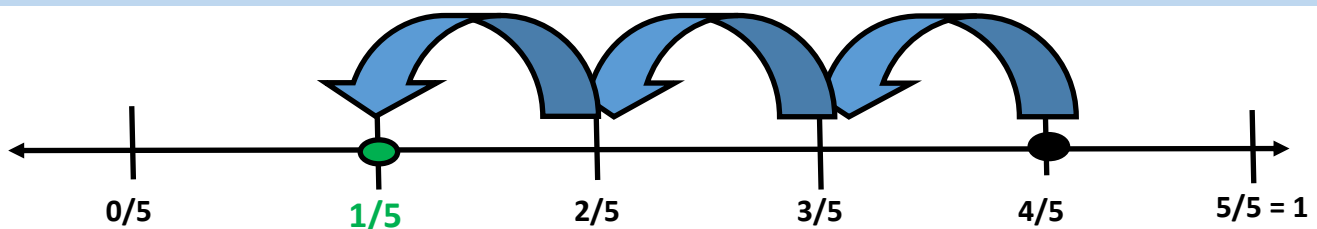
### Adding Fractions With Like Denominators Using a Number Line

- We can **use a number line to help us add fractions**, especially if the two fractions have the **same denominator**. Let's show that by adding  $2/5 + 3/5$ .
- Our **first step** is to do what we did in the first example: **represent  $2/5$**  on the number line.
- Then, **we show adding three fifths by jumping ahead one fifth at a time, as shown by the arrows below**. This works because  $1/5 + 1/5 + 1/5 = 3/5$ ! Our **final answer** is where we land after the jumps:  $5/5$ , or 1.



### Subtracting Fractions With Like Denominators Using a Number Line

- We can **use a number line to help us subtract fractions with like denominators**, too. Let's show that by subtracting  $4/5 - 3/5$ .
- Notice that the **arrows still show three jumps, but this time, they go backwards, or down on the number line**.



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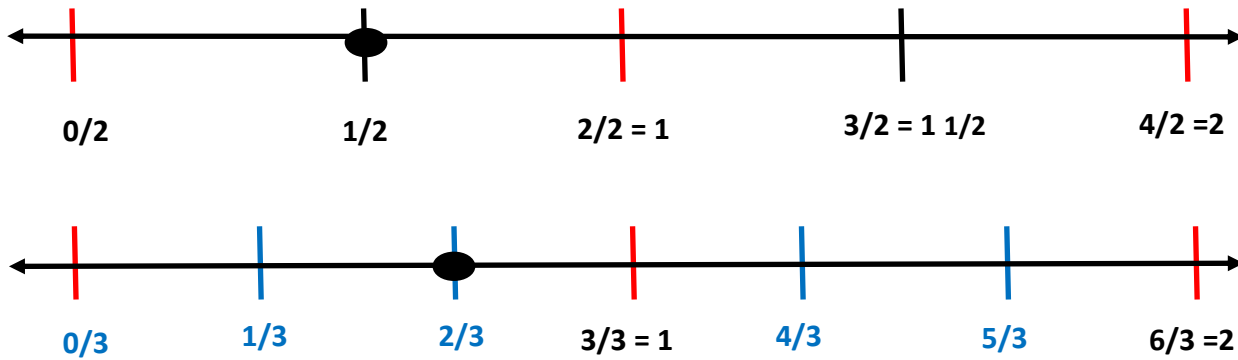
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## using Number Lines to Add and Subtract Fractions: Unlike Denominators

Number lines can also be used to add fractions with unlike denominators. For example, let's say we want to add  $1/2 + 2/3$ .

- Our **first step** is to **draw two separate number lines**, one for  $1/2$  and another for  $2/3$ . In case our final answer turns out to be bigger than 1, let's make each of these number lines go from 0 to 2.



- On both number lines, the **vertical lines in red** are at **0, 1, and 2**. That's why these **red lines** line up in both number lines.
- Our next step is to **figure out a common denominator** for our fractions. One way to find a common denominator is to **multiply the denominators we already have**:

$$2 \times 3 = 6.$$

- Another way to think about having a common denominator of 6 is **chopping the halves or thirds** on the number lines into pieces so that **each whole is now broken into sixths**. The **black vertical lines show the halves**, and the **blue lines show the thirds**. The **added lines in green** chop each whole **into sixths**. Now, we can place a dot on our starting number,  $1/2$ , which we see is equivalent to  $3/6$ .
- To add  $2/3$ , we can start by seeing that  $2/3$  is equivalent to  $4/6$ . So  $1/2 + 2/3 = 3/6 + 4/6$ .
- If we start at  $3/6$ , we can use arrows to **jump ahead  $4/6$** . We **land at the answer of  $7/6$**  (which can also be expressed as  $1 \frac{1}{6}$ ).

